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# Persian Astronomy in the Greek Manuscript Linköping kl. f. $10^{*}$ 

## Alberto Bardi

This paper is a study of an astronomical text redacted in Greek, contained in the fifteenth-century manuscript Linköping kl. f. 10 (henceforth $\mathbf{F}$ ). This text consists of a coherent group of instructions on how to use a structured set of astronomical tables stemming from Islamic tradition, redacted primarily in Persian in the thirteenth century, then translated by Byzantine scholars into Greek, and spread among Byzantine scholars from the beginning of the fourteenth century. ${ }^{1}$

## 2. Astronomical texts and tables between the II-khanate and Byzantium

In the thirteenth century, astronomical tables stemming from Persia were mostly produced by Islamic scholars. The area, stretched out today between Iran and Azerbaijan, was ruled by the Mongols of the Il-Khanids dynasty. Due to their interest in astronomy and astrology, after the conquest of that region, they hired the Islamic astronomers already settled there and employed them in the new observatories that they built,

[^0]notably that of Maragha, founded in 1259 by the Il-khan Hulaghu, and that of Tabriz, founded not much later by Ghazan Khan. ${ }^{2}$

Information on the scientific exchanges between Persia and Byzantium appears in the introduction to the so-called Persian Syntaxis, an astronomical handbook on Persian tables redacted in Greek at around 1347 by Georgios Chrysokokkes. ${ }^{3}$ He reports that he learned astronomy a few years before, in Trebizond, a city with a good tradition of astronomical studies, by a priest called Manuel, an otherwise unknown figure. The latter had practiced astronomy learning from Gregorios Chioniades, a Byzantine scholar who had travelled to Tabriz at the end of the thirteenth century in order to learn astronomy from the Persian scholar Šams al Dīn al-Buhārī̄, whose works Chioniades had translated and brought to Trebizond. ${ }^{4}$ Chioniades is the author of the most ancient translations into Greek of works of Persian astronomy, or, better, these translations are to be ascribed to him: the $Z \bar{l} \bar{j}$ as-Sanjarī (composed around 1120) by al-Hāzinī, and the commentary of the aforementioned Šams al Dīn al-Buhārī on the $Z \bar{l} \bar{j}$ al- $\bar{A} l \bar{a} \bar{\imath}$, a work of the Arab astronomer Al-Fahhād (composed around 1176). ${ }^{5}$ There is evidence to suggest that at the beginning of the fourteenth century some Persian astronomical treatises were known in a Greek-Byzantine environment and were circulating among scholars, if not in Constantinople, for sure in Trebizond.

I would like to draw attention to the fact that the astronomical texts we are considering deal with "practical" astronomy, not with theoretical astronomy. The handbooks mentioned, in contrast with major works such as Ptolemy's Almagest or Planetary Hypothesis, do not concern themselves with the mathematical and physical foundations of astronomy, but consist simply of instructions on how to use structured sets of astronomical tables. Learning how to use astronomical tables was

[^1]possible even without being aware of the theories behind them. That is why astronomical handbooks were so popular.

In late Byzantium, the genre of the astronomical handbook for a set of tables was not new to Greek tradition. The most ancient Greek source on this is the Small commentary on Ptolemy's Handy Tables by Theon Alexandrinus ( $4^{\text {th }}$ century CE). ${ }^{6}$ But in the thirteenth century Ptolemy's Handy Tables were not up-to-date anymore. Importing tables from Islamic tradition, therefore, was a quick way for Byzantine scholars to have and practice astronomy through up-to-date tables. Those tables could help them in fixing the calendar, computing the date of Easter and predicting celestial phenomena like eclipses, which Byzantine scholars were fond of. Though up-to-date, these tables were not necessarily more reliable; in fact, Ptolemaic tables (from the Handy Tables and from the Almagest), with which Byzantine scholars were probably more familiar, were still in use. For instance, in order to compute eclipses, the renowned scholar John Chortasmenos still applied Ptolemaic methods and combined them with the Persian ones; however, he still calculated eclipses through the Almagest. ${ }^{7}$ Once the Persian tables were imported, instructions on how to use them were also required, because astronomical tables, despite their user-friendly format, are not easy for non-experts. These tables consisted of structured lists of astronomical values (numbers) based on parameters set out in Ptolemy's Almagest. The values shown by the tables must be combined by precise operations to compute an astronomical magnitude at a given time. ${ }^{8}$ While it is likely that Chioniades's instructions are translations from Persian, other extant instructions were redacted by Byzantine scholars directly in Greek.

The text at ff. 1-27 of manuscript $\mathbf{F}$ belongs to this genre. Such works were redacted by fourteenth-century Byzantine scholars in order to explain how to use the imported Persian tables. The text in F is enti-
 structions for the Persian Tables of Astronomy» (henceforth Paradosis).

[^2]
## 3. The Paradosis of the Persian Tables ${ }^{9}$

The Paradosis in manuscript $\mathbf{F}$ comments on the tables provided at ff. $33-80 \mathrm{v}$ of the same $\mathbf{F}$. Such tables were computed for the years 1408/09 CE onwards, while the computations in the texts are arranged for the year 1352 CE, except for one case for the year 1347 CE. Further hints in the texts contained in the Paradosis of $\mathbf{F}$ suggest that this witness was composed in the first half of the fifteenth century, not before 1408/09, as we will see.

As a handbook, the Paradosis underwent several modifications with regard to structure and content. F is not the earliest version of the Paradosis, whose most ancient extant witnesses are datable to the middle of the fourteenth century (around 1352 CE). An alternative redaction of the text is also extant. It is a part of a wider work: it consists of the Third Book of Theodoros Meliteniotes' Tribiblos Astronomike, redacted before 1368 (henceforth Book III). ${ }^{10}$

According to modern scholarship on the Paradosis, the main questions around this text can be summarized as follows: 1) who is the real author of the text: Isaak Argyros, ${ }^{11}$ Theodoros Meliteniotes, ${ }^{12}$ or someone else? This opus is sometimes ascribed to Isaac Argyros, or to Georgios Chrysokokkes. ${ }^{13}$ The latter attribution is found in $\mathbf{F}$; the ascription to Meliteniotes is due to textual evidence (see below); 2) what are the relationships between the Paradosis and Meliteniotes' Book III? To solve these problems, I investigated the textual tradition of the Paradosis for my PhD thesis. ${ }^{14}$ The most ancient witness is found to be the one contained in manuscript Florence, Laurentianus pluteus 28.13 (L),

[^3]which was penned by Isaac Argyros before $1374 .{ }^{15}$ As was already known from the research by Giovanni Mercati, ${ }^{16}$ the original astronomical work by Meliteniotes (Tribiblos) is transmitted in manuscript Vaticanus graecus 792 (X), written by Meliteniotes himself before 1368. Georgios Chrysokokkes indeed also authored a handbook for Persian tables around 1347, but it is different from the Paradosis and earlier than the latter; it is the so-called Persian Syntaxis. ${ }^{17}$ This handbook and the Paradosis both comment on similar sets of tables, sharing most of the astronomical parameters. ${ }^{18}$

A comparison of all the texts of the redactions by Meliteniotes and the Paradosis suggests that manuscript $\mathbf{L}$ is witness to an ancient stage of composition of this text, as argued on the basis of corrections and style. It is likely that $\mathbf{L}$ is nearer to the original composition than the redaction of Meliteniotes. However, the latter is the author of an enriched and refined version of the Paradosis, which constitutes Book III of his astronomical opus. The scribe of the most ancient extant witness of the Paradosis is Argyros, but he cannot be considered the true author of this opus with certainty, because he does not write his name in the title in $\mathbf{L}$. However, the relationships between the two redactions do not provide clear evidence to decide in favor of the one author rather than the other. On this account, I looked for further hints by analyzing the astronomical terminology in both redactions.

My hypothesis of a relationship between the Paradosis and the redaction of Meliteniotes is confirmed by the analysis of the Arabic terminology used in the two redactions. Amid Byzantine Palaiologan astronomy, the oldest occurrences of Arabic astronomical terminology referring to thirteenth-century Islamic tables are provided by the translations of Chioniades. ${ }^{19}$ All of these terms are translated into Greek by Chrysokokkes in his Persian Syntaxis (ca. 1347), as I have argued from

[^4]the inspection of several witnesses to this text. ${ }^{20}$ Therefore, just before the middle of the fourteenth century, Byzantine scholars in Trebizond and Constantinople ${ }^{21}$ had at their disposal a full account of Arabic astronomical terminology in Greek for using the Persian tables. ${ }^{22}$ But both Argyros and Meliteniotes, though they wrote after Chrysokokkes and commented on the same set of Persian tables, provide Greek astronomical terms accompanied by a loan-word of the Arabic term. This suggests that they undertook a work of erudition, because they set the etymological term as a glossa, while these same terms were put in the main level of the clause by Chioniades. The fact that Meliteniotes provides these glossae more systematically than Argyros suggests a later composition stage than Argyros's. At any rate, they could write Greek terminology with perfect ease, because they relied on the work by Chrysokokkes, which was for sure at their disposal. ${ }^{23}$ It is likely that Meliteniotes added the Arabic terminology not provided in the Paradosis from the $Z \bar{l} j$ that Chioniades had transcribed in Laur. Plut. 28.17. ${ }^{4}$
The comparison of the two redactions also suggests that L is an epitome (a summarized version) of Meliteniotes. However, this hypothesis cannot be really entertained, because there are many other witnesses of the

[^5]Paradosis which would serve better than $\mathbf{L}$ as epitomes: they were all transcribed later than Meliteniotes's Book III (composed not later than 1368). In addition, such witnesses, though surely later than $\mathbf{L}$, are not direct copies of $\mathbf{L}$, but belong to a different family of manuscripts.
While the relationship between the redactions and the question of the author are an intriguing issue, the inspection of the textual features is a complicated task as well. The Paradosis is handed down in 25 copies, while the redaction of Meliteniotes is only extant in two manuscripts. The following list numbers all the extant witnesses to the Paradosis. The division into two manuscript families was made mainly on the basis of textual macro-variants, such as accretions or omission of whole chapters or long texts portions.

Family of $\mathbf{L}$

| L Laurentianus Plut. 28.13, ff. 2-17 | J Laurentianus Plut. 28.16, ff. <br> $3-20 \mathrm{v}$ |
| :--- | :--- |
| K Marcianus graecus Z 336, ff. | S Vaticanus Palatinus graecus 278, <br> $12-28$ |
| ff. 13-27v |  |

Family of M-CFPQ: group of CFPQ

| Q Parisinus graecus 2501, ff. 1-31v | C Oxoniensis Canonicianus gr. 81, <br> ff. 1-88 |
| :--- | :--- |
| E Oxoniensis Baroccianus 58, ff. <br> $1-42 \mathrm{v}$ | Z Lugdunensis Vossianus graecus F <br> 9, ff. 22-23 |
| P Parisinus graecus 2107, ff. 141- | G Guelferbytanus Gudianus graecus |
| 145v, 160v-161r, 164v-166r, 191v, | 40, ff. 16r-20v |
| 193v-194r, 198v-201r, 205r-207v, |  |
| 214r-215v | H Vaticanus graecus 1852, ff. |
| 430-454v | F Lincopensis kl. f. 10, ff. 1-25r |
| V Lugdunensis Vossianus graecus Q <br> 44, ff. 1-23v | $\mathbf{3 2 6}$ Marcianus graecus Z 326, ff. <br> $29 \mathrm{r}-54 \mathrm{v}$ |

Family of M-CFPQ: group of M

| M Marcianus graecus Z 323, ff. | U Vaticanus graecus 1058, ff. |
| :--- | :--- |
| $71-94 \mathrm{v}$ | $130-142$ |
| A Taurinensis B.II.18, ff. 83r-115r | W Taurinensis C.III.7, ff. 57r-80v |
| D Oxoniensis Seldenianus 6 (Selde- | $\mathbf{N}$ Marcianus graecus Z 328, ff. |
| nianus supra 7), ff. 36v-47v | $30-60 \mathrm{v}$ |
| $\mathbf{O}$ Marcianus graecus Z 333, ff. | T Vaticanus graecus 1047, ff. |
| $146-176 \mathrm{v}$ | $12-39 \mathrm{v}$ |
| R Parisinus supplementum graecum | B Londinensis Burneianus 91, ff. |
| 754, ff. 181r-183r | $10-28 \mathrm{v}$ |

A partial witness of the Paradosis, not belonging to any defined family, is provided by the manuscript Ambrosianus E 80 sup., ff. 220r-226v. The textual transmission is characterized by an intricate wood of textual variants, with several degrees of significance. As a consequence, most of the stemmatic relationships could be established only through macro-variants, i.e. accretions or omission of chapters, or longer textual portions. These phenomena find their cause in the sectional structure of the Paradosis: its chapters are mostly independent from each other, so they could be put in different positions without affecting the coherence of the whole opus. After the middle of the fourteenth century, accretions of chapters into the original structure of the Paradosis became more and more frequent, depending on the personal interest of the scribe of the manuscript. The additional chapters deal often with solar and lunar conjunctions, eclipses, and chronology (conversion methods between the Byzantine and the Persian calendar). This is in accordance with the astronomical interests of late Byzantine scholars. Among the fifteenth-century copyists of the Paradosis and Book III, John Chortasmenos ${ }^{25}(\mathrm{Y})$, Bessarion ${ }^{26}(\mathrm{O})$, and Isidore of $\operatorname{Kiev}^{27}(\mathrm{H})$ are the most notable figures.

As for the text-structure, each chapter of the Paradosis provides a

[^6]theoretical part and a practical part. The former explains how to compute an astronomical magnitude; the latter shows how to apply the theory expounded in the former to a precise example (usually for 25 December of the year 1352 CE). Eventually the computations are summarized, either in textual or in tabular form. The Greek language of the Paradosis displays the usual features of style of mathematical procedures and algorithms. This style features the "procedural language" and the "algorithmic language", in the terminology adopted by Fabio Acerbi. ${ }^{28}$ Briefly, the procedures describe chains of operations through a normative syntax based on participial forms and the future indicative; they never feature numbers (conversion factors and non-variable values excepted), but long denotative expressions to describe the astronomical magnitudes involved in the computation; they are aimed at providing the most general description of a well-defined operation. The algorithms employ the second person of the imperative mood to describe an operation, always feature a paratactic syntax, and are aimed at summing up the operations expounded in the procedural part through applying them to a computation sample. ${ }^{29}$

## 4. The Paradosis of F

The version of the Paradosis in $\mathbf{F}$ includes the main structure of 18 chapters provided by manuscript $\mathbf{L}$, but not exactly as it is preserved in $\mathbf{L}$. Compared to it, the scribe of $\mathbf{F}$ introduces the following changes: [the numbers between parentheses refer to the chapter of $\mathbf{L}$ ]

| L | F |
| :---: | :---: |
|  $\dot{\alpha} \sigma \tau \rho o v o \mu i ́ a \varsigma ~ « I n s t r u c t i o n s ~ f o r ~ t h e ~ P e r s i a n ~ T a b l e s ~ o f ~ A s-~$ tronomy» | $1=(1)$ |

[^7]| 2. Пєрі̀ $\tau \tilde{\omega} v \pi \alpha \rho \alpha ̀ ~ П \varepsilon ́ \rho \sigma \alpha ı \varsigma ~ \tau \varepsilon \sigma \sigma \alpha ́ \rho \omega v ~ \kappa \varepsilon \varphi \alpha \lambda \alpha i ́ \omega v \tau \tilde{\omega} v$ <br>  $\tau \tilde{\varsigma} \varsigma$ है $\gamma \gamma 1 \sigma \tau \alpha \pi \alpha \rho \varepsilon \lambda \theta$ ои́бŋऽ $\mu \varepsilon \sigma \eta \mu \beta \rho i ́ \alpha \varsigma ~ \kappa \alpha i ̀ ~ \mu \eta ́ \kappa о \cup \varsigma ~ \tau \eta ̃ \varsigma ~$ $\dot{v} \pi о \kappa \varepsilon \mu \varepsilon ́ v \eta \varsigma \pi o ́ \lambda \varepsilon \omega \varsigma$ «On the Persian four sections, namely, that of the simple years, of the month and the day and the hours from the most recent midday, and that of the longitude of the town taken at issue» | $2=(2)$ |
| :---: | :---: |
|  computation of solar longitude» | $3=(3)$ |
|  $\dot{\omega} \rho \tilde{\omega} v$ «On the adjustment of the hours according to the three ways» | $4=(4)$ |
| 5. Пєрі̀ $\tau \tilde{\varsigma} \varsigma \alpha \tau \grave{\alpha} \mu \tilde{\eta} \kappa о \varsigma \tau \tilde{\eta} \varsigma \sigma \varepsilon \lambda \eta ́ v \eta \varsigma \psi \eta \varphi о \varphi о \rho i ́ \alpha \varsigma ~ « O n$ the computation of lunar longitude» | $5=(5)$ |
|  «On the correction of the position of sun and moon» | $6=(6)$ |
|  | $7=(7)$, but without practical part |
|  $\kappa \alpha \tau \alpha \beta \imath \beta \alpha ́ \zeta o v \tau o \zeta$ «On the nodes, the ascending one and the descending one» | $8=(8)$ |
|  | $9=(9)$ |
| 10. Пєрі̀ $\tau \tilde{\varsigma} \varsigma \tilde{\omega} v \pi \varepsilon ́ v \tau \varepsilon \pi \lambda \alpha v \omega \mu \varepsilon ́ v \omega v \kappa \alpha \tau \alpha ̀ \mu \tilde{\mu} \kappa \circ \varsigma$ $\psi \eta \varphi о ч о р i ́ \alpha \varsigma ~ « O n ~ t h e ~ c o m p u t a t i o n ~ o f ~ t h e ~ l o n g i t u d e ~ o f ~ t h e ~$ five planets» | $10=(13)$, but with an accretion |
| 11. Пعрі̀ $\tau \tilde{\omega} v \kappa \alpha \tau \grave{\alpha} \pi \lambda \alpha ́ \tau \circ \varsigma ~ \grave{\alpha} \pi o ̀ ~ \tau o \tilde{v} \delta \grave{\alpha} \mu \varepsilon ́ \sigma \omega v \tau \tilde{\omega} v$ $\zeta \varrho \delta i ́ \omega v$ д̉ $\pi о \sigma \tau \alpha ́ \sigma \varepsilon \omega \nu \tau \tilde{\nu} \nu \tau \rho 1 \tilde{\omega} \nu \pi \lambda \alpha \nu \omega \mu \varepsilon ́ v \omega \nu$ K $\rho o ́ v o v$ $\Delta$ tò $\kappa \alpha \mathrm{l}$ ’ $A \rho \varepsilon \omega \varsigma$ «On the computation of the distance in latitude from the ecliptic of the three planets Saturn, Jupiter and Mars» | $11=(14)$ |
| 12. Пєрì тои̃ $\pi \lambda \alpha ́ \tau o v \varsigma ~ A \varphi \rho o \delta i ́ t \eta \varsigma ~ к \alpha i ̀ ~ ' E \rho \mu о \tilde{~ « O n ~ t h e ~}$ latitude of Venus and Mercury> | $12=(15)$ |


|  synodic syzygies and full moons» | $13=(16)$ |
| :---: | :---: |
|  the limits of the eclipses of the Sun and the Moon» | $14=(10)$ |
|  | $15=(11)$ |
|  | $16=(12)$ |
| 17. Пєрі̀ $\tau \tilde{\eta} \varsigma \dot{\alpha} \pi o ̀ ~ \zeta \oplus \delta i ́ o v ~ \varepsilon i ́ \varsigma ~ \zeta \propto ́ \delta ı o v ~ \mu \varepsilon \tau \alpha \beta \alpha ́ \sigma \varepsilon \omega \varsigma ~ \dot{\eta} \lambda i ́ o v$ $\tau \varepsilon \kappa \alpha i ̀ ~ \sigma \varepsilon \lambda \eta ́ v \eta \varsigma ~ \kappa \alpha \grave{~ \tau} \check{v} \tau \varepsilon \in v \tau \varepsilon \pi \lambda \alpha v \omega \mu \varepsilon ́ v \omega v \alpha \dot{\alpha} \sigma \tau \varepsilon ́ \rho \omega v$ «On the passage from sign to sign of the Sun, the Moon and of the five planets» | $17=(17)$ |
| 18. Пєคі̀ $\tau \tilde{\varsigma} \varsigma \pi \alpha \rho \alpha v \xi \mathfrak{\eta} \sigma \varepsilon \omega \varsigma \tau \tilde{\omega} v \kappa \alpha v o v i ́ \omega v \tau \tilde{\omega} v \dot{\alpha} \pi \lambda \tilde{\omega} v$ <br>  of the tables of the simple years of the Sun, the Moon and the rest» | $18=(18)$ |
|  | 19 [Пعрì ஸ́робко́тоv] |
|  |  àк $\kappa ı \eta ̀ \varsigma ~ \pi \varepsilon \rho i ̀ ~$ $\tau \eta ̃ \varsigma ~ ढ ̋ \rho \alpha \varsigma$ бuvóסov ทัtou $\pi \alpha v \sigma \varepsilon \lambda \eta ́ v o v$ |
|  | 21 [on the conjunctions of the planets] |
|  | 22 Пєрі̀ $\tau \tilde{\varsigma}$ $\kappa \alpha \tau \alpha \lambda \eta ́ \psi \varepsilon \omega \varsigma$ тои̃ ยैтоטऽ $\tau \tilde{v} v$ Пєрбฮ̃v |
|  | 23 [how to convert from a year to another] |


|  | 24 [the ecliptic, the zodiac, the signs] |
| :---: | :---: |
|  | 25 Пєрі̀ тои̃ то́боv кıvहі̃таı દ̈к $\alpha \sigma \tau \circ \varsigma \tau ฮ ̃ \nu$ <br>  vvхӨи́ $\mu \varepsilon \rho \circ$ v |
|  | 26 [how to convert from a year to another] |

In $\mathbf{F}$, the chapters about the planetary motions ( 10,11 , and 12 ) are shifted after the chapters about the syzygies (solar and lunar conjunctions) and eclipses (i.e. 13, 14, 15, 16). This arrangement resembles the structure of the astronomical work by Stephanus Alexandrinus. ${ }^{30}$ Therefore, it cannot be an accident that an excerpt from the treatise of Stephanus is found written at f. 29 in the same manuscript, $\mathbf{F} .{ }^{31}$ The presence of this fragment argues for Stephanus being the conscious model of the arrangement of the Paradosis text.

As for the stemmatic relationships of this Paradosis, F contains significant textual differences compared to the manuscripts of the family $\mathbf{L}$ and the group of $\mathbf{M}$. That is why I conclude that it belongs to the group CFPQ in the family M-CFPQ. On this account, I provided a sub-archetype in common with Parisinus graecus 2501, Canonicianus graecus 81, and Parisinus graecus 2107. These relationships are mainly established thanks to the omission of glossae containing technical loanwords from Arabic, a common feature of CFPQ. In the following, I provide

[^8]some examples of the omissions common to CFPQ of glossae containing transliterated Arabic terms from the chapter on the computation of the motion of the Sun in longitude:
$\kappa \alpha \tau \alpha ̀ ~ \tau o ̀ ~ \pi \rho \tilde{\omega ̃ \tau o v ~ \sigma \varepsilon \lambda i ́ \delta ı o v ~ \tau o ̀ ~ \varepsilon ̇ \pi \tau \gamma \varepsilon \gamma \rho \alpha \mu \mu \varepsilon ́ v o v ~ ह ै \tau \eta ~ \dot{\alpha} \pi \lambda \tilde{\alpha} \pi \varepsilon \rho \sigma \iota \kappa \alpha ́ ~ \kappa \alpha \tau \alpha ̀ ~}$
$\delta \grave{~} \Pi \varepsilon ́ \rho \sigma \alpha \varsigma ~ \dot{\alpha} \lambda \mu \alpha v \sigma о v ̃ v \tau \alpha$
«in the first column entitled "single Persian years" (for the Persians
$\dot{\alpha} \lambda \mu \alpha v \sigma o v ̃ v \tau \alpha)$ )

The term $\dot{\alpha} \lambda \mu \alpha \nu \sigma o v ̃ v \tau \alpha$ should be pronounced in Greek/almansuta/, which corresponds to the Arabic المبسوطة, i.e. in Persian transcription al-mabsuta, in Arabic al-mabsūta. The scribe of $\mathbf{F}$ omits $\kappa \alpha \tau \alpha ̀ ~ \delta \grave{\varepsilon}$ П $£ \rho \sigma \alpha \varsigma$ $\dot{\alpha} \lambda \mu \alpha \nu \sigma o v ̃ v \tau \alpha$.
«The signs, degrees and minutes near to it in the second column, which is entitled "mean motion" (in Persian $\alpha \not \lambda \beta \alpha \sigma \alpha ́ \tau)$ )

The term ${ }_{\alpha} \lambda \beta \alpha \sigma \alpha ́ \tau$ should be pronounced in Byzantine Greek as /al-uasat/. This corresponds to the Arabic الوسط, in Persian transcription al-vasat, in Arabic transcription al-wasat. The glossa $\pi \varepsilon \rho \sigma \iota \kappa \tilde{\varrho} \varsigma ~ \delta \varepsilon ̀ ~ o ̈ \lambda ~ \beta \alpha \sigma \alpha ́ \tau$ is omitted by $\mathbf{F}$.

The same stylistic attitude is to be found in $\mathbf{F}$ in correspondence to the following terms, which are provided in the oldest versions of the Paradosis:

| Greek | Greek transcription | Arabic | Arabic transcription | Meaning |
| :---: | :---: | :---: | :---: | :---: |
| $\dot{\alpha} \alpha \pi \dot{\varepsilon} \tau$ | Aapet | هابط | hābit | descending |
| $\ddot{\alpha} \lambda \mu \alpha \nu \sigma о$ ̃̃ $\tau \alpha$ | Almansuta | المبسوطة | al-mabsūta | Single (year) |
| $\ddot{\alpha} \lambda \beta \alpha \sigma \alpha \dot{\tau}$ | Al basat | الوسط | al-wasat | Mean (motion) |


| 的 $\lambda \chi \alpha \sigma \alpha{ }^{\prime} \tau$ | Al chasat | الخاصة | al-hāṣṣa | Proper (motion) |
| :---: | :---: | :---: | :---: | :---: |
|  | Aoutz | اوج | awj | Apogee |
| $\beta \alpha \sigma \dot{\alpha} \tau \mu \alpha \nu \tau \dot{\alpha} \lambda$ | Basat mantal | وسط معدّل | wasat <br> mu'addal | Modified mean motion |
| $\dot{\varepsilon} \kappa \kappa \tau \lambda \varepsilon \tilde{v}$ | Ektleu | اختلاف | ihhtilāf | Anomaly |
| غ̇є $\tilde{\alpha} / \varepsilon \in \sigma \tilde{\alpha}$ 的 $\rho \zeta$ | Eta arz | حصة عرض | hicsṣa 'arḍ | Lunar longitude |
| ì $\sigma \tau \mu \alpha{ }^{\text {a }}$ | Istima | اجتماع | ijtim $\bar{a}^{\text {c }}$ | Conjunction |
| i̇б $\tau 1 \kappa \pi \alpha \dot{\lambda} \eta$ | Istikpale | استقبال | istiqbāl | Opposition |
| $\mu \alpha ́ \rho \kappa \alpha \zeta$ | Markaz | مركز | markaz | Centre/centrum |
| ноикккои́ $\mu$ | Mukkaum | مقوّم | muqawwam | corrected |
| $\nu \tau \zeta \propto \grave{\rho} \rho$ <br> $\chi \alpha \lambda ı \tau \alpha ́ \tau$ | Ntzair chalitat | جز ائر خالدات | jazā $\mathfrak{i r}$ <br> hālidāt | Fortunate Isles |
| $\sigma \alpha \alpha \varepsilon ́ \tau$ | Saaet | صاعد | $s \bar{c}^{\prime} \mathrm{id}$ | ascending, rising |
| $\sigma \alpha \mu \alpha{ }^{\prime} \lambda$ | Samal | شمال | šamāl | North |
| $\tau \alpha v \tau i \lambda \lambda \alpha \lambda \alpha \chi \chi 1 \rho$ | Tantil alachir | تعديل الآخر | ta 'dīl alāhir | Second equation |
| $\tau \alpha v \tau i \lambda \lambda \alpha{ }_{\alpha}$ | Tantil aual | تعديل الأول | ta 'dīl awwal | First equation |
| $\tau \alpha \nu \tau i ̀ \lambda$ <br> $\tau \zeta \alpha \tau \zeta o v \beta \alpha ̀ \lambda$ | tantil tzatzouval | ? | ta $d \bar{l} l+$ ? | equation of the Sun |
| $\tau \zeta \alpha \nu \mathrm{ov́} \pi$ | Tzanup | جنوب | janūb | South |
| $\chi \alpha \sigma \alpha \dot{\mu} \mu \nu \nu \tau \alpha \dot{ } \lambda$ | Chasa mantal | خاصـة معدّلة | hāạṣa <br> mu 'addil | Modified proper motion |

The detected terms are Arabic astronomical terms, mediated through

Persian. The Arabic origin is explained for three reasons:

1) the doubling of consonants occurs (e.g. muqawwam);
2) most of the words contain the letters غ் (e.g. hābit);
3) the root of the listed terms consists of three consonants, which occurs in the same sequence in different words (e.g. ta 'd $\bar{l} l$ and $m u$ ' addil).

The Arabic origin of the astronomical words is indeed not surprising, for the Arabic scientific texts redacted before the Ilkhanids' conquest of Persia were later translated into Persian. This language shares the same alphabet, therefore scholars kept the technical terms unvaried. Moreover, F provides a text about determining the time of true syzygies, additional to chapter 13. This addition is in common to manuscript $\mathbf{H}$ and other manuscripts of the group of $\mathbf{M}$, namely $\mathbf{B}, \mathbf{T}, \mathbf{O}$, and $\mathbf{3 2 6}$. Differently from $\mathbf{T}$ and $\mathbf{O}$, which provide the additional text as an independent chapter, $\mathbf{F}$ reports that text as part of chapter 10 (13L). The same happens in $\mathbf{H}, \mathbf{B}$, and $\mathbf{3 2 6}$. ${ }^{32}$

The scribe of $\mathbf{F}$ adds further additional chapters (see above). The first one deals with the main lines of a horoscope (chapter 19), then one on the determination of syzygies (20) and conjunctions between planets (21), elementary notions of astronomy (24), the motions of the planets during a day (25) and about the conversion between different calendars (22, 23, 26).

Chapter 22 is worthy of note. It is arranged for the conversion of dates between Persian, Arabic, Byzantine and Hebrew eras; chapters 23 and 26 between Persian and Byzantine calendars. Not accidentally, manuscript $\mathbf{F}$ also contains Jewish astronomy: at ff. 111-124r, the scribe copies Michael Chrysokokkes's Six Wings, which is a translation into Greek (ca. 1435) of a work by the astronomer Immanuel Bonfils, a Jewish scholar who redacted an opus aimed at calculating eclipses, composed around 1360 in Tarascon (Southern France). ${ }^{33}$ The text 22 F is also provided by other manuscripts containing the Paradosis, for instance Q (ff. 27-28), that inserts this text into the main structure of the Paradosis, while it appears as an independent text in $\mathbf{X}$ (f. 21r), $\mathbf{C}$ (f. 73r), and $\mathbf{3 2 6}$ (f. 51). This text is also shared by two manuscripts dependent from $\mathbf{M}$,

[^9]namely $\mathbf{O}$ (f. 264v) and $\mathbf{K}$ (f. 1r). In the latter, the text is added by a later scribe, who modifies the Paradosis by means of adding texts from $\mathbf{M}$.

The scribes of $\mathbf{Q}, \mathbf{F}$, and $\mathbf{3 2 6}$, are very similar. Nevertheless, the textual variants allow one to surmise that in the group CFPQ, $\mathbf{F}$ shares also a sub-archetype with $\mathbf{H}$ and $\mathbf{P}$, because of long portions of texts in common within the eighteen chapters of the basic structure on the handbook. Moreover, the Paradosis of $\mathbf{F}$ has a very similar copy in the witness $\mathbf{3 2 6}$ (ff. 29r-54r). ${ }^{34}$ The latter is a partial witness, for it contains the basic chapters from 8 (partially) until 18, alongside chapters 19 to 26 as $\mathbf{F}$, but with minimal textual variants.

The numbers in parentheses stand for the chapter of $\mathbf{L}$.

| $\mathbf{F}$ | $\mathbf{3 2 6}$ |
| :--- | :--- |
| $1=(1)$ | not provided |
| $2=(2)$ | not provided |
| $3=(3)$ | not provided |
| $4=(4)$ | not provided |
| $5=(5)$ | not provided |
| $6=(6)$ | not provided |
| $7=(7)$, but without computations |  |
| $8=(8)$ | $8=(8)$ |
| $9=(9)$ | $9=(9)$ |
| $10=(13)$, but with accretion | $10=(10)$ |
| $11=(14)$ | $11=(11)$ |
| $12=(15)$ | $12=(12)$ |
| $13=(16)$ | $13=(13)$, with accretion |
| $14=(10)$ | $14=(14)$ |
| $15=(11)$ | $15=(15)$ |

[^10]| $16=(12)$ | $16=(16)$ |
| :---: | :---: |
| $17=(17)$ | $17=(17)$ |
| $18=(18)$ | $18=(18)$ |
| 19 [Пعрі̀ ¢́робко́лоv] | 19 Пєрі̀ ¢́робко́лоv |
| 20 Т $\varepsilon \chi \vee о \lambda о \gamma i ́ \alpha \dot{\alpha} \kappa \rho ı \beta \grave{\eta} \varsigma \pi \varepsilon \rho i ̀ ~ \tau \eta ̃ \varsigma$ ढ̋ $\rho \alpha \varsigma ~ \sigma v \vee o ́ \delta o v ~ \eta ̈ \tau о ı ~ \pi \alpha \nu \sigma \varepsilon \lambda \eta ́ v o v ~$ |  ढ̋ $\rho \alpha \varsigma ~ \sigma v v o ́ \delta o v ~ \eta ̋ \tau о ı ~ \pi \alpha \nu \sigma \varepsilon \lambda \eta ́ v o v ~$ |
| 21 [on the conjunctions of the planets] |  <br>  $\sigma \varepsilon \lambda \eta ́ v \eta \varsigma \mu о \iota \rho \iota \tilde{\omega} \varsigma \sigma \chi \eta \mu \alpha \tau i \zeta о v \sigma \iota$ |
| 22 Пєрì $\tau \tilde{\varsigma} \kappa \alpha \tau \alpha \lambda \eta ́ \psi \varepsilon \omega \varsigma ~ \tau о \tilde{~}$ हैтоטऽ $\tau \tilde{\omega} \nu ~ П \varepsilon \rho \sigma \tilde{\omega} \nu$ | 22 Пєрì $\tau \tilde{\varsigma} \kappa \alpha \tau \alpha \lambda \eta ́ \psi \varepsilon \omega \varsigma ~ \tau о \tilde{}$ ย̌ँоטऽ $\tau \tilde{\nu} \nu ~ П \varepsilon \rho \sigma \tilde{\omega} \nu$ |
| 23 [how to convert from a year to another] | 23 De commutatione annorum |
| 24 [the ecliptic, the zodiac, the signs] | 24 De ecliptica, de signis zodiaci, de rationibus signorum zodiaci |
|  <br>  |  <br>  |
| 26 [how to convert from a year to another] | 26 De commutatione annorum |

As the manuscript $\mathbf{3 2 6}$ provides the same additional chapters, it belongs to the group of CFPQ and finds in F the closest witness. But $\mathbf{3 2 6}$ displays two significant variants which cannot locate it more precisely in the stemmatic relationships. First, it exhibits a chapter structure similar to the original, and secondly, it preserves the Arabic loanwords and transcribed them in the text in the glossa position, as $\mathbf{L}$ does. Therefore, it is hard to locate the exact position of $\mathbf{3 2 6}$ in the textual transmission of the Paradosis. The additional chapters assure its belonging to the group of

F, yet the loanwords in 326 bar the hypothesis of a common archetype with $\mathbf{F}$. However, its nearness to $\mathbf{F}$ is confirmed by the fact that codex 326 also contains an incomplete version of the Six Wings, as $\mathbf{F}$ does. Unlike $\mathbf{F}$, however, $\mathbf{3 2 6}$ provides a set of tables computed from the year 1436/37 CE. Given the incomplete state of 326, it was not possible to say more on its stemmatic nature.
Eventually, it is possible that the Paradosis of $\mathbf{F}$ is the antigraph for $\mathbf{V}$ ( $15^{\text {th }}-16^{\text {th }}$ centuries), a late copy which does not provide computations. They share minimal textual variants: $\mathbf{V}$ exhibits exactly the same chapter structure as $\mathbf{F}$ and the same locations for the computations on the page, but these are left blank in $\mathbf{V}$. The scribe did not finish his task.

## 5. A brief overview of the Persian tables of $F$

The computational methods expounded in the chapters of the Paradosis refer to the astronomical tables provided after it. The set of tables is based on Persian years, according to the era of the Persian King Yazdegerd of the Sassanians. This era counts from his ascending to the throne on June 16, 632 CE. A Persian year consists of 12 months, each of 30 days, and an additional month of 5 days. No leap years are considered. Therefore, 1 day will be lost every four years in comparison to the Julian calendar used in Byzantium. The Byzantines used to reckon from the creation of the word (Annus mundi), i.e. September 1, 5509 BCE. The situation gets more complicated, because the computations in the text of the Paradosis reckon the years from the Incarnation of Christ, i.e. 5500 BCE, starting from December 25. The difference is 9 years and 116 days as against the Annus mundi. All these factors make the computations with the Persian tables complicated already from the start. This situation explains why conversion methods are provided in the additional chapters of $\mathbf{F}$.

The geographical reference in the tables hinges upon a town with longitude $72^{\circ}$ from the Fortunate Isles, called Tvßŋ́vŋ (Tybene). This name could well be the transcription of the ancient Armenian capital Dvin, because the Byzantine pronunciation of Greek should be /divini/, but its precise identification is still problematic, and the Greek word
might be the result of a transcription error. The town named could also designate Tabriz in Iran. ${ }^{35}$ Further investigations on geographical tables are needed in order to shed new light on this issue.

The methods of the Paradosis show a combination of Islamic and Ptolemaic computations. For instance, the computations for the motions of the Sun and the Moon are based on Islamic methods. In this instance, the reader can avoid the interpolation typical of the Handy Tables and does not have to determine whether the corrections to the mean values are to be added or subtracted, because the Islamic tables of this Persian set provide displaced tables for the Sun and the Moon, so that the corrections are always positive, i.e. they need to be added to the results of the mean motion of Sun and Moon. ${ }^{36}$ In other words, these computations are more user-friendly than those one had to do according to Ptolemaic methods. By contrast, the computation on how to find the time from mean to true syzygy is similar to the one provided by the Small Commentary to the Handy Tables of Ptolemy by Theon Alexandrinus, and the table of mean syzygies is based on the Julian calendar, instead of the Persian one. But the computation for the eclipses is based again on Persian methods. This mixture of Ptolemaic and Islamic methods is not new in the computations of eclipses in Byzantium, ${ }^{37}$ and it is attested in all the other witnesses to the Paradosis.

The main parameters of the tables of Naṣīr al-Dīn al-Ṭūsis's $Z \bar{j} j$ $\bar{I} l k h \bar{a} n \bar{l}$ (mid-thirteenth century) should be identified as the model, for the most part, for the set of tables of the Paradosis, with the exception of the tables for the syzygies. ${ }^{38}$ An ongoing survey will shed new light on this issue. Most of the titles of the tables, once penned in red ink in F, are completely faded. Therefore, it is not easy to recognize their contents at first glance. By comparing this set with the other manuscripts (listed above in section 3), there is evidence to suggest that these tables are the same set as the oldest witnesses (e.g. L), but they are shifted to more recent years. While $\mathbf{L}$ and $\mathbf{X}$ provide astronomical tables from the

[^11]Persian year 720 ( 1350 CE ) onwards, the tables of $\mathbf{F}$ start from the Persian year 778 (i.e. 1408/09). This date is the same as the year provided by the computation sample of some additional texts in $\mathbf{F}$.

## 6. Final remarks

The observations in this paper allow reaching several conclusions. The analysis of the Paradosis of $\mathbf{F}$ shows that this text and the related tables were composed not before the year 1408/9 CE. The scribe of $\mathbf{F}$ shapes the structure of the Paradosis following the model of the commentary by Stephanus Alexandrinus. This major change in the transmission of this text is witnessed by one direct copy of $\mathbf{F}$, the manuscript $\mathbf{V}$.

As for the scribe/compiler of $\mathbf{F}$, he is still unidentified. However, one may note that his hand is similar to that copying $\mathbf{Q}$ and $\mathbf{3 2 6}$.

The remark at f . 1r of $\mathbf{F}$ furnishes tantalizing hints for the history of this manuscript. The signature of the Italian scholar Lucrezio Palladio degli Olivi ${ }^{39}$ attests that the manuscript was preserved in some scholarly collection in Padua or Venice in the seventeenth century. Only in 1757, F became an item of the Stiftsbibliotek Linköping in Sweden.

Another manuscript similar to $\mathbf{F}$ was likely available in Venice in the seventeenth century, namely 326, because at that time the Biblioteca Marciana, where $\mathbf{3 2 6}$ is preserved to date, was already in activity as an institution. In addition, another witness of the Paradosis (E) was owned by a sixteenth-century Venetian scholar, namely the mathematician Francesco Barozzi. ${ }^{40}$ On this account, $\mathbf{F}$ is witness to a kind of Nachleben of a Byzantine handbook of Islamic Tables in Renaissance Europe. The transmission of this set of Islamic tables in Europe is not confined to Italy and to antiquarianism; for instance, the renowned French astronomer Ismaël Bullialdus used the tables commented on in the Persian Syntaxis and had some of them printed in his work $A s$ tronomia Philolaica (Paris, 1645); moreover, the German orientalist Ja-

[^12]cob Christmann provides and comments on the Persian calendar based on the Paradosis in an Appendix to his Muhamedis Alfragani arabis, Chronologica et astronomica elementa et palatinae bibliothecae veteribus libris versa expleta et scholiis expolita (Frankfurt am Main, 1590, reprinted in 1618).
Both manuscripts 326 and $\mathbf{F}$ provide a collection of Islamic astronomy commented by Byzantine astronomers alongside Jewish astronomy (Immanuel Bonfils' Six Wings, translated into Greek by Michael Chrysokokkes). The coexistence of these different astronomical traditions in the same codex explains why the scribe added chapters on the conversion between Persian, Jewish and Byzantine eras (such as 22F). All of this suggests also that, in the first half of the fifteenth century, some exchanges between Jewish and Byzantine astronomers may have occurred. At the present state of research, one of the main contents of such cross-cultural exchanges is constituted by Islamic (Persian) tables, such as those commented in F. In fact, recent scholarship on the Byzantine versions of Islamic tables in Persian has placed attention on a mid fifteenth-century handbook by Rabbi Mordecai Comtino and on a late fourteenth-century translation from Greek by Solomon ben Eliahu of a Byzantine handbook on Persian tables. ${ }^{41}$ Notably, Comtino concludes his handbook on the Persian addressing a criticism to Argyros, accusing him of underestimating the accuracy of the Persian tables. ${ }^{42}$

Moreover, F contains copies of astronomical texts by Isaac Argyros, Ptolemy and also the proemium of the renowned astronomical poem by Aratus, the Phaenomena. Therefore, F constitutes a collection of texts stemming from different cultural traditions collected in one volume. Selecting texts about astronomical topics from different traditions is a widespread habit in fifteenth-century Byzantium, as shown by many other extant Byzantine scientific miscellaneous manuscripts, including several codices containing the Paradosis listed above (see section 3), containing such as $\mathbf{M}$, a voluminous codex providing sets of tables and methods of Ptolemaic (Theon's and Stephanus' handbooks and Handy Tables) and Islamic astronomy (Paradosis and related tables).

[^13]In sum, since the history of astronomy in fifteenth-century Byzantium is characterized by cross-cultural exchanges, it cannot be satisfactorily narrated by describing transfers of knowledge through static and linear lines. ${ }^{43}$ Rather, scholarly networks of Christians and Jews are the likely actors of this interplay. In this field, the survey on the Paradosis transmitted by $\mathbf{F}$ has shown that astronomical handbooks in fifteenth-century Byzantium are very likely a locus of contact between different cultural traditions and religious communities, a historical landscape which is worth investigating in greater depth in future research.

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    ${ }^{1}$ For more details on the exchanges between Persian and Byzantine scholars see Tihon 1987, Tihon 1990 and Ragep 2014. This introduction is indebted to those papers.

[^1]:    ${ }^{2}$ Tihon 1987 and Saliba 1991. See also North 2008, 204-214.
    ${ }^{3}$ Mercier 1984. This text constitutes the subject of my ongoing research project. There is an old unpublished thesis on the subject, Etude sur la syntaxe perse des Georges Chrysococces by Françoise Oerlemans, supervised by J. Mogenet, but this resource could not be accessed.
    ${ }^{4}$ See Ragep 2014.
    ${ }^{5}$ See Leichter 2004, 6-12. Editions of Chioniades's works: Pingree 1985, Paschos-Sotiroudis 1998, Leichter 2004.

[^2]:    ${ }^{6}$ Edition: Tihon 1978.
    ${ }^{7}$ Caudano 2003.
    ${ }^{8}$ On the Handy Tables and their mathematics: Neugebauer 1975, 2, 969-1028.

[^3]:    ${ }^{9}$ Here I summarize the results I explained more accurately in Bardi 2018b. Please refer to that article for a more detailed description of my survey on the textual tradition of the Paradosis and the related bibliographical references.
    ${ }^{10}$ The first two books of the Tribiblos are edited in Leurquin 1990-1993.
    ${ }^{11}$ PLP 1285.
    ${ }^{12}$ PLP 17851.
    ${ }^{13}$ PLP 31142.
    ${ }^{14} \mathrm{PhD}$ thesis (LMU München) entitled 'Persische Astronomie in Byzanz. Ein Beitrag zur Byzantinistik und zur Wissenschaftsgeschichte', forthcoming or in the series Münchner Arbeiten zur Byzantinistik, Neuried: Ars Una.

[^4]:    ${ }^{15}$ The hand was already recognized by Mondrain 2012, 630. On the manuscript see Gentile 1994, 93-94.
    ${ }^{16}$ Mercati 1931, 174-179.
    ${ }^{17}$ Mercier 1984.
    ${ }^{18}$ Mercier-Tihon 1998, 287.
    ${ }^{19}$ See the glossary provided by Pingree 1985, 395-401.

[^5]:    ${ }^{20}$ I inspected the following witnesses to Chrysokokkes's Syntaxis: Ambrosianus E 80 sup. (Martini-Bassi 294) ff. 69v-173; Ambrosianus I 112 sup. (Martini-Bassi 469) ff. 2-111; Leidensis BPG 74E ff. 80-85v; Leidensis Voss. Misc. 47, ff. 1-7; Londinensis Burneianus 91 ff. 39-100v; Marcianus graecus VI. 9 (coll. 1066), ff. 145-156v; Marcianus graecus Z. 309 (coll.300) ff. 41-66v; Marcianus graecus Z. 327 (coll. 642) ff. 24-48v; Parisinus graecus 1310 ff. 282v-287v; Paris. gr. 2401 ff. 1-40; Paris. gr. 2461 ff. 151v-188; Paris. gr. 2402 ff. 1-36; Paris. suppl. gr. 20 ff. 75-82; Paris. suppl. gr. 565 ff. 306-449; Paris. suppl. gr. 689 ff. 15-52; Paris. suppl. gr. 1190 ff. 10-14; Scorialensis Eta V 3 (Andrés 415), ff. 5r-v, 38-60; Scorialensis Rho. I. 14 (Revilla 14) ff. 17-42, 57-58; Scorialensis Sigma. I. 11 (Revilla 71), ff. 2-51; Taurinensis C. III. 07;ff. 3-136; Taurinensis B.II. 18 ff. 12-73; Vat. gr. 209 ff. 1-17; Vat. gr. 210 ff. 8-35v; Vat. gr. 1058 ff. 92-118v; Vat. gr. 1852 ff. 408-415v; Vindobonensis phil. gr. $87 \mathrm{ff} .1-47 \mathrm{v}$; Vind. phil. gr. $108 \mathrm{ff} .33-159 \mathrm{v}$; Vind. phil. gr. $190 \mathrm{ff} .86-254 \mathrm{v}$.
    ${ }^{21}$ Chrysokokkes studied in Trebizond and his Syntaxis is very likely composed for colleagues in Constantinople.
    ${ }^{22}$ The thirteenth-century Persian astronomical handbooks kept Arabic terminology for technical terms.
    ${ }^{23}$ Some texts and tables of the Paradosis and the Book III refer to Chrysokokkes's work.
    ${ }^{24}$ Tihon 1987, 479.

[^6]:    ${ }^{25}$ Hunger 1969.
    ${ }^{26}$ Märtl-Kaiser-Ricklin 2014.
    27 Mercati 1926.

[^7]:    ${ }^{28}$ This terminology is adopted from a masterly article by Fabio Acerbi, who detected and described the stylistic codes of Greek mathematical language for the first time. See Acerbi 2012.
    ${ }^{29}$ See Acerbi, 'I codici stilistici', 183-193 for a full description of these terms.

[^8]:    ${ }^{30}$ Edition of Stephanus Alexandrinus's commentary in Lempire 2016. Stephanus is the author on a handbook on how to use Ptolemy's Handy Tables. He recalculated the tables, originally shaped on the meridian of Alexandria, for the meridian of Constantinople, in 610/620 CE. On this account, his handbook is considered the first work of Byzantine astronomy.
    ${ }^{31}$ See critical text Lempire 2016, 86.4-88.6.

[^9]:    ${ }^{32}$ The text is edited in Bardi 2018a, 19-20.
    ${ }^{33}$ Edition: Solon 1968.

[^10]:    ${ }^{34}$ See Mioni 1985, 50-52. The Paradosis was not recorded in the catalogue. I discovered it by inspecting the manuscript.

[^11]:    ${ }^{35}$ Mercier 1984, 56-58.
    ${ }^{36}$ On displaced tables see Chabás-Goldstein 2013.
    ${ }^{37}$ See Caudano 2003.
    ${ }^{38}$ Mercier-Tihon 1998, 287. On Al-Ṭūsī’s work see Kennedy 1956: 125 and 161-162.

[^12]:    ${ }^{39}$ See http://marciana.venezia.sbn.it/immagini-possessori/972-palladio-degli-olivi-lucrezio; accessed May 11, 2018.
    ${ }^{40}$ On Barozzi see Rose 1977.

[^13]:    ${ }^{41}$ Mercier-Tihon 1998, 259-261.
    ${ }^{42}$ Mercier-Tihon 1998, 260.

[^14]:    ${ }^{43}$ See the remarks on the historiography of science on cross-cultural exchanges by Ben-Zaken 2010, 163-166 and by Brentjes-Fidora-Tischler 2014.

